|  |  | Mark | Comment |  |
| :---: | :---: | :---: | :---: | :---: |
| 1(i) |  | B1 <br> B1 <br> B1 | Acc and dec shown as straight lines <br> Horizontal straight section All correct with $v$ and times marked and at least one axis labelled. Accept $(t, v)$ or $(v, t)$ used. | 3 |
| (ii) | Distance is found from the area area is $\frac{1}{2} \times 10 \times 15+20 \times 15+\frac{1}{2} \times 5 \times 15$ (or $\frac{1}{2} \times(20+35) \times 15$ ) $=412.5$ so distance is 412.5 m | M1 <br> A1 <br> A1 | At least one area attempted or equivalent uvast attempted over one appropriate interval. <br> Award for at least two areas (or equivalent) correct Allow if a trapezium used and only 1 substitution error. <br> FT their diagram. <br> cao (Accept 410 or better accuracy) | 3 |


|  |  | mark |  | sub |
| :---: | :---: | :---: | :---: | :---: |
| 2 | either <br> 70 V obtained So $70 \mathrm{~V}=1400$ <br> and $V=20$ <br> or $V=20$ | A1 <br> M1 <br> A1 <br> M1 <br> A1 <br> M1 <br> A1 | Attempt at area. If not trapezium method at least one <br> part area correct. Accept equivalent. <br> Or equivalent - need not be evaluated. <br> Equate their 70 V to 1400 . Must have attempt at complete areas or equations. <br> cao <br> Attempt to find areas in terms of ratios (at least one correct) <br> Correct total ratio - need not be evaluated. <br> (Evidence <br> may be 800 or 400 or 200 seen). <br> Complete method. (Evidence may be 800/40 or 400/20 <br> or 200/10 seen). <br> cao <br> [Award $3 / 4$ for 20 seen WWW] |  |
|  |  |  |  | 4 |


|  |  | mark |  | Sub |
| :---: | :---: | :---: | :---: | :---: |
| 3(i) | $\frac{-15}{6}=-2.5 \text { so }-2.5 \mathrm{~m} \mathrm{~s}^{-2}$ | $\begin{aligned} & \text { M1 } \\ & \text { A1 } \end{aligned}$ | Use of $\Delta v / \Delta t$. Condone use of $v / t$. <br> Must have - ve sign. Accept no units. | 2 |
| (ii) | $\frac{1}{2} \times 10 \times 4=20 \mathrm{~m}$ | $\begin{aligned} & \text { M1 } \\ & \text { A1 } \end{aligned}$ | Attempt at area or equivalent | 2 |
| $\begin{array}{\|l} \text { (iii } \\ \text { ) } \end{array}$ | Area under graph is $\frac{1}{2} \times 5 \times 5=12.5$ (and -ve) closest is $20-12.5=7.5 \mathrm{~m}$ | M1 <br> A1 | May be implied. Area from 4 to 9 attempted. Condone missing -ve sign. Do not award if area beyond 9 is used (as well). cao | 2 |
|  |  |  |  | 6 |


|  |  | mark |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 4(i) | Area under curve $\begin{aligned} & 0.5 \times 2 \times 20+0.5 \times(20+10) \times 4+0.5 \times 10 \times 1 \\ & =85 \mathrm{~m} \end{aligned}$ | M1 <br> B1 <br> A1 | Attempt to find any area under curve or use const accn results <br> Any area correct (Accept 20 or 60 or 5 without explanation) <br> cao | 3 |
| (ii) | $\begin{aligned} & \frac{20-10}{4}=2.5 \\ & \text { upwards } \end{aligned}$ | $\begin{aligned} & \hline \text { M1 } \\ & \text { A1 } \\ & \text { B1 } \end{aligned}$ | ```\(\Delta v / \Delta t\) accept \(\pm 2.5\) Accept - 2.5 downwards (allow direction specified by diagram etc). Accept 'opposite direction to motion'.``` | 3 |
| (iii) | $\begin{aligned} & v=-2.5 t+c \\ & v=20 \text { when } t=2 \\ & v=-2.5 \mathrm{t}+25 \end{aligned}$ | $\begin{array}{\|l} \hline \text { M1 } \\ \text { M1 } \\ \text { A1 } \end{array}$ | Allow their $a$ in the form $v= \pm a t+c$ or $v= \pm a(t-2)+c$ <br> cao [Allow $v=20-2.5(t-2)$ ] <br> [Allow $2 / 3$ for different variable to $t$ used, e.g. $x$. Allow any variable name for speed] | 3 |
| (iv) | Falling with negligible resistance | E1 | Accept 'zero resistance', or 'no resistance' seen. | 1 |
| (v) | $\begin{aligned} & -1.5 \times 4+9.5 \times 2+7=20 \\ & -1.5 \times 36+9.5 \times 6+7=10 \\ & -1.5 \times 49+9.5 \times 7+7=0 \end{aligned}$ | $\begin{aligned} & \text { E1 } \\ & \text { E1 } \end{aligned}$ | One of the results shown <br> All three shown. Be generous about the 'show'. | 2 |
| (vi) | $\begin{aligned} & \int_{2}^{7}\left(-1.5 t^{2}+9.5 t+7\right) d t \\ & =\left[-0.5 t^{3}+4.75 t^{2}+7 t\right]_{2}^{7} \\ & =\left(-\frac{343}{2}+\frac{19 \times 49}{4}+49\right)-(-4+19+14) \\ & =81.25 \mathrm{~m} \end{aligned}$ | $\begin{aligned} & \text { M1 } \\ & \text { A1 } \\ & \text { A1 } \\ & \text { A1 } \\ & \text { M1 } \\ & \text { A1 } \\ & \text { A1 } \end{aligned}$ | Limits not required <br> A1 for each term. Limits not required. Condone $+c$ <br> Attempt to use both limits on an integrated expression <br> Correct substitution in their expression including subtraction ( may be left as an expression). cao. |  |
|  | total | 19 |  |  |

Follow through between parts of Question 5 should be allowed for the value of $h$ (when $t=10$ ) found in part (iii) if it is used in part (iv) or in part (v)(A).

| 5 | (i) | Integrate $a$ to obtain $v$ $\begin{aligned} & v=10 t-\frac{1}{2} t^{2} \quad(+c) \\ & t=10 \Rightarrow v=100-50=50 \end{aligned}$ <br> Since $a=0$ for $t>10, v=50$ for $t>10$ | M1 <br> A1 <br> M1 <br> A1 <br> [4] | Attempt to integrate <br> Substitution of $t=10$ to find $v$ <br> Sound argument required for given answer. It must in some way refer to $a=0$. |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (ii) | Continuous two part $v$-t graph <br> Curve for $0 \leq t \leq 10$ <br> Horizontal straight line for $10 \leq t \leq 20$ | B1 <br> B1 <br> B1 <br> [3] | The graph must cover $t=0$ to $t=20$ <br> B0 if no vertical scale is given |  |


| 5 | (iii) |  | $\begin{aligned} & \text { Distance fallen }=\int\left(10 t-\frac{1}{2} t^{2}\right) \mathrm{d} t \\ & \qquad d=5 t^{2}-\frac{1}{6} t^{3}+c \quad(c=0) \\ & \text { Height }=1000-d \\ & \text { Height }=1000-5 t^{2}+\frac{1}{6} t^{3} \\ & \text { When } t=10, h=667 \end{aligned}$ | M1 <br> A1 <br> A1 <br> B1 <br> [4] | Attempt to integrate <br> This mark should only be given if the signs are correctly obtained. oe |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (iv) |  | Time at constant vel $=667 \div 50=13.3$ <br> Total time $t=10+13.3=23.3$ | $\begin{aligned} & \hline \text { B1 } \\ & \text { B1 } \\ & \quad[2] \\ & \hline \end{aligned}$ | FT for $h$ from part (iii) FT |  |
|  | (v) | A | Since $500>333$ <br> The box will have reached terminal speed. So there is no improvement | M1 <br> A1 <br> [2] | For finding the height at which the crate reaches terminal velocity, eg $h=167$, or equivalent relevant calculation. FT for $h$ from part (iii) if used. <br> Allow either one (or both) of these two statements. |  |
|  | (v) | B | $\begin{aligned} & \hline v=10 t-t^{2} \quad \text { (for } t \leq 5 \text { ) } \\ & \text { Terminal velocity is } 25 \mathrm{~m} \mathrm{~s}^{-1} \\ & \text { So better } \end{aligned}$ | M1 <br> A1 <br> A1 <br> [3] | Integration to find $v$ |  |


|  |  | mark | comment | sub |
| :---: | :---: | :---: | :---: | :---: |
| 6(i) | The distance travelled by P is $0.5 \times 0.5 \times t^{2}$ <br> The distance travelled by Q is $10 t$ | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \end{aligned}$ | Accept $10 t+125$ if used correctly below. | 2 |
| (ii) | Meet when $0.25 t^{2}=125+10 t$ <br> so $t^{2}-40 t-500=0$ <br> Solving $t=50 \text { (or -10) }$ <br> Distance is $0.25 \times 50^{2}=625 \mathrm{~m}$ | M1 F1 <br> A1 A1 | All their wrong expressions for P and Q distances <br> Allow $\pm 125$ or 125 omitted <br> Award for their expressions as long as one is quadratic and one linear. <br> Must have 125 with correct sign. <br> Accept any method that yields (smaller) + ve root of their 3 term quadratic <br> cao Allow -ve root not mentioned <br> cao <br> [SC2 400 m seen] |  |
|  |  | 7 |  |  |

